## SOME NEW METHODS FOR THE RAPID PROCESSING OF OCEANOGRAPHIC DATA

by Commander P. Moreira Da Silva, of the Directorate of Hydrography and Navigation, Brazil.

Rapid processing of oceanographic data, if highly desirable in any campaign, becomes essential indeed when the purpose is a broad preliminary survey, searching for points of special interest connected with the general circulation. Aboard our oceanographic ship, the Almirante Saldanha, we were able, during our last two cruises between Rio de Janeiro and Baia, to develop two kinds of diagrams which proved very helpful. Both will be described in this paper.

## A new T-S diagram

The purpose was to have a T-S diagram giving immediately $\sigma_{t}$ accurately to two decimals, which we thought would be sufficient for most dynamical calculations.

The diagram was based on Mr. Knudsen's Hydrographical Tables (1901). Given Cl , or S , of a sample, Mr Knudsen`s Tables give immediately $\sigma_{0}$ and, to every temperature, a correction, D , to be subtracted from $\sigma_{o}$ to obtain $\sigma_{\mathrm{t}}$. If salinities are plotted according to $\sigma_{0}$ and temperatures are plotted according to $D\left({ }^{1}\right)$ a T-S diagram like Fig. 1 is obtained; of course the decimal part of $\sigma_{t}$ is the horizontal distance, in millimeters, from the nearest "equal $\sigma_{t}$ " line to the sample.

## A NEW dynamic anomaly computer

We now have $t,{ }_{t}$ and $p$ (depth) of every sample ; they are plotted on another diagram (Fig. 2).

Mathew's Tables for calculating the specific volume of sea-water under pressure (1938) give the specific volume anomaly of a sample as :

$$
\mathrm{A}=\delta \sigma_{\mathrm{t}}+\delta_{\mathrm{t}}
$$

$\delta \sigma_{t}$ is a function of $\sigma_{t}$ and depth ; $\delta_{t}$ is a function of temperature and depth.
The diagram is drawn in such a manner that, when plotting a sample by its $\sigma_{t}$ and depth, we automatically plot it at a distance from the vertical axis $\sigma_{t}=28.00$ proportional to $\delta \sigma_{t}$; and the representative point is then displaced to the right by a distance proportional to $\delta_{t}$ as taken from the triangular diagram at the left corner. In Fig. 2, it can be seen that sample A, from 550 metres, is first plotted at A (by its $\sigma_{t}$ ) and then displaced to $\mathrm{A}^{\prime}, \mathrm{OA}^{\prime}$ being the total anomaly 0.001039 , as read on the scale 1 .
(1) Scales most adequate are: for $\sigma_{0}, 100 \mathrm{~mm}=1$ unit.
for $\mathrm{D}, 100 \mathrm{~mm}=1$ unit.



Let E and F be samples (real, or interpolated) taken at 900 and 1000 metres. Of course OE is the total anomaly of sample E, O'F the total anomaly of sample F.

Dynamic anomaly of any layer $=\Delta \mathrm{p} \times$ mean anomaly $=\Delta \mathrm{p} \times \frac{\mathrm{OE}+\mathrm{O}^{\prime} \mathrm{F}}{2}$
This corresponds to the area of trapezium OEFO'.
In our diagram:
1 sq. mm corresponds to 5 metres $\times 0.000020=0.0001 \mathrm{dyn}$. metre.
$10 \mathrm{sq} . \mathrm{mm}$ correspond to 1 dyn. mm. (dynamic).
Area of trapezium in sq. $\mathrm{mm}=\frac{\mathrm{OE}+\mathrm{O}^{\prime} \mathrm{F}}{2} \mathrm{~mm} \times 20=10\left(\mathrm{OE}+\mathrm{O}^{\prime} \mathrm{F}\right)$
So, the number which gives $\mathrm{OE}+\mathrm{O}^{\prime} \mathrm{F}$ in millimetres gives also the dynamical anomaly of our layer in dynamic millimetres.

All that need be done is to measure distances from $\sigma_{t}=28.00$, every hundred metres, to the curve which represents the sounding, to obtain dynamic anomalies.

From 1000 to 5000 metres another scale was adopted ; the number giving the sum of bases separated by 1000 metres, in millimeters, is the same as dynamic anomaly in centimetres.

Figs. 1 and 2 represent an oceanographic station made by the Almirante Saldanha near Baia. In Fig. 3 results are compared, as taken from Table I, Fig. 4. The small differences seem acceptable; it is even possible that the graphical method proves more accurate, since the area of each trapezium can be more accurately measured by the known method of equal areas, as illustrated between depths 0 and 100 metres in Fig. 2.

Station 218, 2000/26 March 1957, $18^{\circ} 00^{\prime}$ South, $32^{\circ} 24^{\prime}$ West.

| Depth <br> (met.) | T | S | $\sigma_{\sigma_{\mathrm{t}}}$ | $\sigma_{\mathrm{t}}$ <br> $(2)$ | $\delta_{\sigma}{ }_{\mathrm{t}}$ | $\delta_{\mathrm{t}}$ | A | Mean of <br> layer | D <br> cm |
| ---: | ---: | :---: | :---: | :---: | :---: | ---: | :---: | :---: | :---: |
| 0 | 27.30 | 37.25 | 24.337 | 24.34 | 3476 | 0 | 0.003476 |  |  |
| 25 | 27.22 | 36.89 | 24.091 | 24.09 | 3712 | 12 | 0.003724 | 0.003600 | 9 |
| 50 | 26.93 | 36.89 | 24.185 | 24.19 | 3624 | 25 | 0.003649 | 0.003686 | 9.2 |
| 75 | 25.19 | 37.01 | 24.822 | 24.83 | 3014 | 35 | 0.003049 | 0.003349 | 8.4 |
| 100 | 23.70 | 37.05 | 25.302 | 25.31 | 2557 | 46 | 0.002603 | 0.002826 | 7.1 |
| 275 | 14.18 | 35.30 | 26.398 | 26.40 | 1508 | 86 | 0.001594 | 0.002098 | 36.7 |
| 550 | 7.36 | 34.51 | 27.004 | 27.00 | 938 | 101 | 0.001039 | 0.001316 | 36.2 |
| 1042 | 3.57 | 34.56 | 27.502 | 27.51 | 465 | 97 | 0.000562 | 0.000800 | 39.4 |
| 1558 | 3.91 | 34.99 | 27.811 | 27.82 | 175 | 153 | 0.000328 | 0.000445 | 23.0 |
| 2000 | 3.43 | 34.90 | 27.786 | 27.79 | 191 | 170 | 0.000361 | 0.000344 | 15.2 |
| 2600 | 3.04 | 34.90 | 27.822 | 27.82 | 162 | 192 | 0.000354 | 0.000357 | 21.4 |

Fig. 4.
(1) As calculated by Table H.O. 615.
(2) As taken from diagram.

